

AFM Unit 1: Exponents and Logarithms Formula Sheet

Domain	Lowest x, highest x use (or) if not included, [or] if included
Range	Lowest y, highest y use (or) if not included, [or] if included
Transformations: a	$ a > 1$ vertical stretch $0 < a < 1$ vertical shrink $a < 0$ reflect over x-axis
Transformations: c	$ c > 1$ horizontal shrink $0 < c < 1$ horizontal stretch $a < 0$ reflect over y-axis
Transformations: h	$h > 0$ (x – h) shift right h units $h < 0$ (x + h) shift left h units If vertical asymptote, x = h
Transformations: k	$k > 0$ shift up h units $k < 0$ shift down h units If horizontal asymptote, y = k
Convert to logarithmic form: $y = b^x$	$\log_b(y) = x$
Convert to exponential form: $\log_b(y) = x$	$y = b^x$
Compound Interest over time	$A = P \left(1 + \frac{r}{n}\right)^{nt}$
Continuous Interest	$A = Pe^{rt}$
Logarithmic properties involving 1	$\log_b(b) = 1$ $\log_b(1) = 0$
Inverse properties of logarithms and exponents	$\log_b(b^x) = x$ $b^{\log_b(x)} = x$
Product Rule of Logarithms	$\log_b(MN) = \log_b(M) + \log_b(N)$
Quotient Rule of Logarithms	$\log_b\left(\frac{M}{N}\right) = \log_b(M) - \log_b(N)$
Power Rule of Logarithms	$\log_b(M^p) = p \log_b(M)$
Change of Base Formula for Logarithms	$\log_b(M) = \frac{\log_a(M)}{\log_a(b)}$
Logistic Growth Model	$f(t) = \frac{c}{1 + ae^{-bt}}$